τ. (c): Suppose the hound catches the rabbit in t minutes
 Number of jumps by the rabbit = rot & distance covered = τ · × rot = ν · · · t m .
 Similarly Distance covered by hound = τot × τ · = ν o · · t cm .

Now,  $10 \cdot \cdot \cdot t - v \cdot \cdot t = v \cdot \cdot \cdot cm \text{ or } t = v \circ min$ .

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 $\tau$ . (c): Let there be x litres of wine in the beginning

$$\begin{array}{l}
\text{æx- } 8 \ddot{0} \\
\text{èç x } \text{ø} \div \\
\text{⇒x = } \text{$\wedge$} \cdot \text{litres}
\end{array}$$

 $\epsilon$ . (c): Let A = abc and B = cba

Therefore,  $B - A = \cdots + b + a - (\cdots + b + c) = 44(c - a)$ . B - A is a multiple of y.

Therefore,  $c - a = v(a, c)(1, \lambda) or(Y, A)$ .

Hence, number is between 1. A to 19A or Y.9 to Y99.

(a): Total S.P. will be

$$A : \underbrace{X}_{1 \cdot r} \underbrace{\hat{e}_{X+1} \hat{u}_{1} r}_{1 \cdot r} = 1 \land . \land A \land X + \xi . \land X + 1 q . r}_{1 \cdot r}$$

$$C.P. = \frac{e^{X_{u}}}{\hat{g}_{\Lambda}} \hat{u}_{u}^{X}$$

Profit =  $rr. \tau AX + 19. r - rvX = 19. r - r.rrX$ 

٦. (d)

 $PX = (P - \cdot \cdot \cdot \cdot)(X + \cdot \cdot \cdot) = (P + \cdot \cdot \cdot \cdot)(X - \cdot \cdot \cdot \cdot)$ 

Solving  $x = 1 \cdots$ 

v. (b): Volume of smaller cone

$$= 1p(r)r^{q} = rvp$$

Volume of large cone  $\frac{1}{r}p^{(0)}$   $\gamma = 1$ 

 $\Rightarrow$ Volume of the solid = 170 $\pi$  -  $70\pi$  = 9 $\Lambda$   $\pi$ 

۸. (c) : Let the speed of A be x km /hr and spee**B b** ${\bf 6}$  y km /hr  ${\bf 6}$  then :

$$\overset{\circ \circ}{\mathsf{X}} = \overset{\circ \circ}{\mathsf{y}} - \overset{\mathsf{I}}{\mathsf{y}} \qquad \ldots \qquad (\mathsf{I})$$

Also, 
$$\overset{\circ \circ}{X} \overset{= \circ 1}{V} - \overset{1}{1}$$
 .... (Y)

On solving both equation (1) & (7) we get x = 11 km/hr and  $y = 1 \cdot \text{km/hr}$ .

(a): Let the distance be x km and speed be y km/hr and t be the time in hours. Then the equation will be x = yt

Therefore 
$$\frac{\delta}{y} + \frac{[x - \delta \cdot]}{[x \cdot y \cdot / \delta]} = t+3$$
 ....(Y)

Therefore 
$$\frac{\circ}{y} + \frac{[x - \circ \cdot]}{ry / \circ} = t+3$$
 ....(r)

Also  $\frac{\cdot \cdot \cdot}{y} + \frac{x - \cdot \cdot \cdot}{ry / \circ} = t+2$  ....(r)

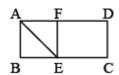
On solving the above equations, we get speed is m/hr time is  $\tau$  hrs, and distance is  $\tau \cdot \cdot \cdot$  km.

۱۰. (b):

I	II	III
Y:0	٣ : ٤	٤:٥

## Hence new ratio

11. (d):



Area of  $\triangle$  ABE =  $\vee$  cm $\vee$ 

Area of ABEF = \ \ cm \

Area of ABCD = \ \ \x \ \x = o \ cm \

 $(As CE = \forall \times BE) = 0 \exists cm \forall$ 

NY.(a): Let oil in containers be A & B.

After st operation

Container A = • . ¿ A

Container B = •. ¬ A + B

After and operation

Container  $A = \cdot \cdot \cdot \xi A + \cdot \cdot \cdot \tau A + \cdot \cdot \circ B$ 

Container  $B = \cdot . \forall A + \cdot . \circ B$ 

$$=(\underbrace{\cdot . vA + \cdot . \circ B}) = (\underbrace{\cdot . vA + \cdot . \circ B})$$

$$1 \cdot . \tau A = \tau B P \qquad \frac{A}{\circ} \quad \frac{B = }{\stackrel{\xi}{\circ}}$$

$$1.7A = 7BP$$
  $\frac{A}{a}$   $\frac{B}{5}$ 

r. (b): Let n = the number of terms.

Then 
$$\int_{1}^{1} \int_{0}^{1} \int_{0}^{1}$$

$$\Rightarrow \frac{\xi \cdot V}{17} = YV \Rightarrow \frac{1}{17} \qquad = \frac{\xi \cdot V}{YV} = 11$$

Let d be the common difference.

Then  $-\frac{1}{\Lambda}$  (= the eleventh term)=  $1 \vee + 1 \cdot d$ 

$$\Rightarrow 10 = -d \qquad \frac{177}{\Lambda} - 17 = -\frac{770}{\Lambda}$$

$$\Rightarrow$$
d  $-\frac{1}{2}$ 

 $18. (d): Since M is the midpoint of side PQ. the length of MQ is <math>\tau$ .

Hence, the area of  $\triangle$  MQR =  $1 \times 7 \times \xi = \xi$ .

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Also area of  $\Delta$  NSR =  $\epsilon$  . Thus, the unshaded area of the figure =  $\epsilon$  +  $\epsilon$  = A .

Hence, the area of quadrilateral PMRN

= Area of the square PQRS – The unshaded area of the figure

$$A = A - \Gamma I = A$$

10. (b): Let speeds of  $P_i Q \& R be P_i Q \& R km/hr respectively$ .

Thus  $\xi P = \tau R$ 

$$= \begin{array}{ccc} P & 1 = & & & \\ R & Y & & & \\ = \circ Q = \xi R = Q & 4 = & & \\ R & \circ & & & \end{array}$$

From (1) & (٢).

$$= \frac{P/R}{Q/R} = \frac{1}{2} / \frac{5}{6}$$

$$= P = 0$$

 $\forall \lambda \in (A - Y) = \cdot \cdot \cdot (B + Y) \cdot i \cdot e \cdot A - \cdot \cdot \cdot B = YA$ 

And  $(B - \varepsilon \cdot) = \cdot \cdot \cdot (A + \varepsilon \cdot)$ , i.e.  $B - \cdot \cdot \cdot \varepsilon A = \circ \tau$ 

Solving we get, A = Rs. ٦٠

v. (a): Given quadratic equation  $xy + ax + b = \cdot$ 

Then product of roots  $\alpha\beta = b$ 

Sum of roots  $\alpha + \beta = -a$ 

Next quadratic equation bx $y + ax + y = \cdot$ 

Then product of roots  $\frac{1}{b} = \frac{1}{\alpha \beta}$ 

Hence, clearly by visualising options

New roots we will be  $\alpha$  and  $\alpha$ 

IA. (b): Average salary of each temporary employee is IV.

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، . . . temporary employee ،
     Total salary = \(\cdot\)....
     let teaching departement = Rs. x / staff and cleaning department salary = x
     Now, \neg \cdot \cdot (X + ) \cdot \cdot \cdot ) + \xi \cdot \cdot (X) = \neg \cdot \cdot \cdot \cdot \cdot \cdot \cdot
        X=0ξ.
     Hence answer 1 · · = 0 { · + \ · ·
     =75.
19. (C): All when divided by Ar leaves a remainder + I (as Ar is prime) Hence the total remainder is
     + 1 \times \Lambda 1 = \Lambda 1.
Y.. (c): Let the number of men be Y...
     Then. Men × Time = Work
     \cdots \times 1 = 1 \cdots unit
     Amount of work increased by •• %.
     So. New work = 10. unit
     as the planned time remains same i.e. \
     Then men required will be vo. i.e. a or more workers but since new workers are vo/, more
     efficient i. e \underset{\leftarrow}{\overset{\bullet}{\smile}} times efficient as existing workers .
     Actual number of workers = 0 · = ٤ · men
     Required percent \frac{\xi}{1} 1 \cdot \cdot \cdot = \xi \cdot 1.
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