Solutions – Medium Test

۱. (b) : Only possibility is if ۱۹۵۰ is divided by a multiple of ۱۳، because the other glasses have a capacity that is not a multiple of ۱۳.

Hence ۱۲۰۹ is the only choice .

Alternative method:

As the glasses filled by same fractions.

$$a = b = c$$

$$v_0 = \frac{a + b + c}{v_0 + v_0 + v_0} = \frac{a + b + c}{v_0 + v_0 + v_0}$$

$$a + b + c = v_0 = v_0 = \frac{b}{v_0} = \frac{v_0 + v_0}{v_0}$$

$$b = v_0 = v_0 = v_0$$

$$b = v_0 = v_0 = v_0$$

- (a): We can see that men, women & children are in the ratio ο ο τι τ: ν: ε. Number of men, women & children = 1 · . 1 ο . τ · . Now if each man gets τα, we have 1 · × τα + 1 ο × ο α + τ · × εα = 1 ∨ τ · o r a = Λ. So, the answers are Rs. εΛ, ε · . τ τ.
- $\begin{tabular}{ll} \rat τ. & (d): Total expenses = $(\rat{$\circ$}\%, of vo \cdots) + v \lor r + v \lor h + v \lor r + \xi \cdots + v \circ = \tau \lor t \\ Total receipts = $v \circ \cdots $Total profit = $v \circ \cdots \tau \lor t \in \tau \lor t $$ \\ \hline \end{tabular}$

$$\% profit = \frac{\cancel{æ}^{\xi \vee \gamma}}{\cancel{e}_{\xi \cdot \gamma \xi}} \overset{"}{o}_{\varphi \cdot \gamma} \wedge \cdots = \gamma \xi \cdot o \%$$

 ϵ . (c): Slope of given line = $-\frac{\tau}{\tau}$ perpendicular line has slope =

Now
$$c = -r$$
 (given)

Putting in general equation
$$y = mx + c$$

 $y = rx \Rightarrow rx - ry = r$

o. (a): Let $A(\xi, \tau)$, $B(\tau, -\tau)$, $C(-\tau)$, $C(-\tau)$ be the vertices of triangle

- 7. (b): ar\· x ar\v x ar\q = ar\v x ar\\
 ar\\\ a = a\r\\\
 ar\\\ = \\
 So. \r\\ term is \\.
 - (c) : Let R be the radius of the recast sphere

$$\frac{\epsilon}{\pi} p R^{\tau} = \frac{\epsilon}{\pi} p^{(\tau \tau} + \epsilon^{\tau} + \circ \tau)$$

$$Rr = 117 \Rightarrow R = 7$$

Total surface area of r spheres

$$= \epsilon p(\Upsilon^{\Upsilon} + \epsilon \Upsilon + \delta) = 4p \cdot \circ \cdot = \Upsilon \cdot \cdot \epsilon \Upsilon$$

Surface area of the recast sphere = $\xi \pi(\Im Y) = \pi \xi \xi$

$$\frac{1}{1 \cdot (p - 1) \cdot (p - 1) \cdot (p - 1)} \cdot \frac{1}{1 \cdot (p - 1) \cdot (p -$$

Λ. (c): The distances covered by them are in the ratio r: o and difference is $r \cdot m$. This means $ox - rx = r \cdot or rx = r \cdot or x = r \cdot or$

Therefore time take $\hat{n}_{=}^{\circ} = \xi . \circ seconds$

۹. (d):

	Α	В
I	٥Χ	٣Χ
II	٤y	٧y

$$\circ X + \xi y = \tau \circ \tau \qquad \dots \qquad (1)$$

$$\mathsf{TX} + \mathsf{V} \mathsf{y} = \mathsf{ITI} \qquad \dots \quad (\mathsf{T})$$

On solving equations (1) & (7), we get

Hence, type I Alloy = ٣٩٢ kg, and Type II Alloy = ٢٢ kg

$$1 \cdot . \cdot (b) :$$
 \$\cdot \cdot \cdot

The food was to last \wedge more days but now it is lasting or. The days more.

11. (d): Discriminant = $(Y \circ)Y = \xi(Y)(Y) = Y \cdot - Y = A$

So , the roots are real and irrational.

17. (d): If D > • roots are imaginary.

i.e. qr - {pr> · Pqr> {pr

۱۳. (a): Capacity of the tube

$$p^{(1)Y(Y-1)} + \frac{7}{\pi}p^{(1)Y} = \frac{7}{\pi}p$$

$$\label{eq:continuous} \text{$\tt V$$} \textbf{$\tt \ell$} \text{.} \quad \text{$\tt (c):$ Let $\tt Y$P = $\tt Y$Q = $\tt \ell$R = $\tt o$S = $\tt K$}$$

Then
$$P = \frac{K}{\tau}$$
, $Q = \frac{K}{\tau}$, $R = \frac{K}{\epsilon}$, $S = \frac{K}{\delta}$

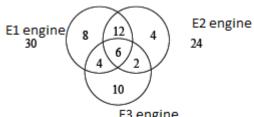
$$\frac{K}{Y} + \frac{K}{Y} + = \frac{K}{\varepsilon} + \frac{K}{\circ} = 10 \varepsilon.$$

K=17.

Therefore. $R = \pi \cdot \cdot \cdot \cdot S = \Upsilon \cdot \cdot \cdot$

Difference=٣٠٠- ٢٤٠ = ٦٠





E3 engine

So ${}_{\mbox{\tiny α}}$ cars which have at least one options

$$\Gamma 3 = \Gamma + 3 + 7 + 77 + 1 + 1 + 1 + 1 = 1$$

Hence, cars with no option = $0 \cdot - \xi \tau = \xi$

۱٦. (c) : ۱۰۰۱ has ۲٤ zeroes.

Which will again give YE zeroes at the end.

$$(x) \cdot f(x) = x - x + 1$$

$$g(x) = x + b + r$$

$$f(Y)g(Y) > \cdot$$

$$(a - \pi)(b + \xi) > \bullet$$

 $h_{\Lambda, \Lambda}$ (b): Let f(x) = pxγ + qx + k, where p, q and k are integers, ap/d p

$$f(\cdot) = k = 1$$

$$f(x) = pxy + qx + y$$

=
$$pxy + qx + k$$
 (Differentiate both sides with respect to x)

$$\therefore f'(x) = \gamma px + q$$

For maxima or minima $f'(x) = \cdot \cdot \cdot x = -q$

f(x) attains maximum at x = 1

$$\therefore$$
 q = $- \tau p$

$$f(1) = p + q + 1 = r$$

14. (d): Let A and B work for m days and C for n days to complete the work. Therefore,

$$\frac{m+m+n=1}{r_{\bullet}} \qquad \dots \dots (1)$$

Out of the total of Rs. ١٨٠٠٠، B gets Rs. ٦٠٠٠ more than C.

$$i.e., \underset{r}{m-n-1} \cdots = \underbrace{\qquad \qquad }_{r} \qquad \ldots \ldots (r)$$

On adding Eqs. (۱) and (۲)، we get

$$\frac{m}{\gamma_0} + \frac{\gamma m}{\gamma_1} = \frac{\epsilon}{\rho} p \quad m = \lambda$$

Y · . (c): Total number of passenger is the Rajdhani Express = 1 · × Y · = Y · ·

So, in the 4 boggies the minimum number of total passengers = 17 + 17 + 15 + 10 + 17 + 17 + 18

Hence, the minimum number of passenger in one boggie can be (7.. - 188) = 67